

Unit 12: INVERSE EXPONENTS AND LOGARITHMS

(Chapter 12, page 514)

Chapter epilogue.

Inverse function

Logarithm:

$$\log_2 8 = ? \iff 2^? = 8$$

Properties:

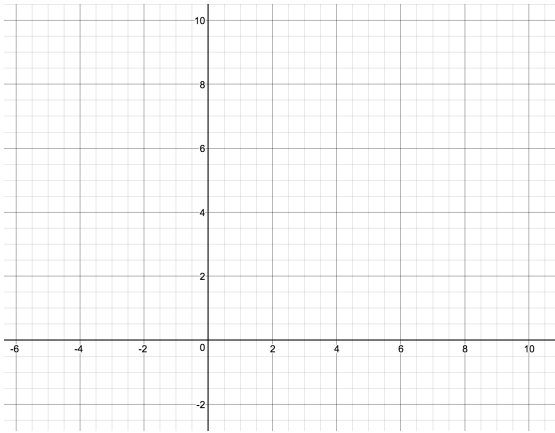
$$\text{(e.g. } \log_a(xy) = \log_a x + \log_a y \text{)}$$

Right triangle trig:

SOH – CAH – TOA

(30°, 45°, 60°)

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☐	Inverse function Notation : "inverse of $f(x)$" = $f^{-1}(x)$	Definition Page 518
☐	We mainly discovered through exploration. Three main aspects of describing a function, and how the inverse function is expressed there: 1. Table values - <u>flipping the</u> _____. 2. Graph - <u>Reflection</u> _____. 3. Algebraic expression - <u>Three step process for deriving the inverse.</u>	
☐	Domain and Range of inverse are equal to the _____ and _____ of the original function, respectively.	
☐	In order for a relation to have an inverse function it has to: 1. Be a function : _____ line test. 2. Be a one-to-one function : _____ line test.	
☐	Find the inverse function, using 3 methods (table, graph, algebraic). $f(x) = \sqrt{x-1} + 2$ 	

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☐	Logarithms	
☐	$\log_2 8 = ? \implies 2^? = 8$ Exponential function: $2^x = 8$	
☐	Properties: $a^{\log_a(x)} = \underline{\hspace{2cm}}$ $\log_a(a^x) = \underline{\hspace{2cm}}$ $\log_a(1) = \underline{\hspace{2cm}}$ ---- Examples:	Theorem 12-3
☐	$\log_a(x \cdot y) = \underline{\hspace{2cm}}$ ---- Example: $\log_a\left(\frac{x}{y}\right) = \underline{\hspace{2cm}}$ ---- Example: $\log_a(x^p) = \underline{\hspace{2cm}}$ ---- Example:	Theorem 12-4,5,6

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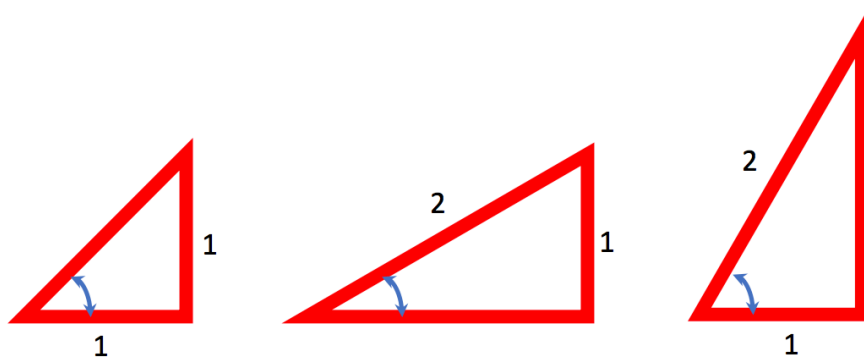
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	$\log_b M = \underline{\hspace{2cm}}$ ---- Examples:	Theorem 12-7
☐	Common logarithms: When the base is 10. Just omit the base. $\log(x) = \underline{\hspace{2cm}}$ Natural logarithm Page 550: $e = \underline{\hspace{2cm}}$ $\log_e(x) = \underline{\hspace{2cm}}$	
☐	Solve: $3^{x+5} = 81$	
☐	Solve (you will need a calculator): $3^{x+5} = 64$	

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SOH-CAH-TOA

Means: Sine = ; Cosine = ; Tangent =



For each of the triangles, complete the following table:

Angle measure	45°
Adjacent	1
Opposite	1
Hypotenuse	
sin(angle)	
cos(angle)	
tan(angle)	

Angle measure	30°
Adjacent	
Opposite	1
Hypotenuse	2
sin(angle)	
cos(angle)	
tan(angle)	

Angle measure	60°
Adjacent	1
Opposite	
Hypotenuse	2
sin(angle)	
cos(angle)	
tan(angle)	